

Gov 2002: Introduction

Spring 2023

Matthew Blackwell

Gov 2002 (Harvard)

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 - Machine learning

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Sept. 1861

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 - Understanding your tools will make you better at your craft.
- You should never have to abandon a project because “you don’t know how to do it.”



Being asked a question about a method you don't understand in a job talk.

Goals of this course

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1. Probability

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Overall goal: be empowered to learn any new method with relative ease.

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Today:

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- Understand the basic definition of probability

1/ Course Details

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- Computing:
 - We'll assume knowledge of R from 2001.

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 - This can be painful, but it is **completely normal**
- Success in academia is a mix of: luck, creativity, knowledge, and **consistent hard work**
 - Becoming “fluent” in methods will pay off in the long (and short) run

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- Office hours: ask even more questions.

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- Other good book referenced on syllabus.

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- Make sure R, RStudio, and rmarkdown are all updated and work.

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- Probability \rightarrow Inference \rightarrow Regression

2/ Overview of Probability and Statistics

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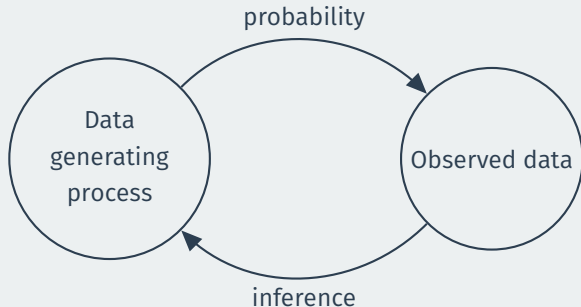
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- Probability to the rescue!